

### CORRIGENDUM

to my paper in: "FCAA", vol. 6, No 1 (2003), pp. 81-96  
 "A NOTE ON JONQUIÈRE POLYNOMIALS"

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Mrs. J. Paneva-Konovska was so kind to attract my attention to numerous misprints and incompleteness' in the paper mentioned above.

All they can be easily "removed" except the most essential of them, namely that the real part of the function  $\zeta\omega'(\zeta)/\omega(\zeta)$  ( $\zeta = r \exp i\theta, 0 < r < \infty, -\pi < \theta < \pi$ ) is in fact

$$U(r, \theta) = \frac{r^2 - r \cos \theta}{1 - 2r \cos \theta + r^2} - \frac{\log r}{(\log r)^2 + \theta^2}.$$

Nevertheless the assertion of Proposition [3.2], i.e., the validity of the inequality (3.2) remains true.

Short arguments are given to confirm this.